

# Cryptographic Protocols

Spring 2017

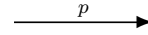
Part 5

## Proofs in NP

„Normal“ Proof

Peggy

Statement  $s$ , Proof  $p$



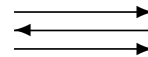
Vic

verifies proof:  
 $\Psi(s, p) \rightarrow$  accept  
 otherwise  $\rightarrow$  reject

Zero-Knowledge Proof

Peggy

Statement  $s$ , prove  
 „I know  $p$  s.t.  $\Psi(s, p)$ “



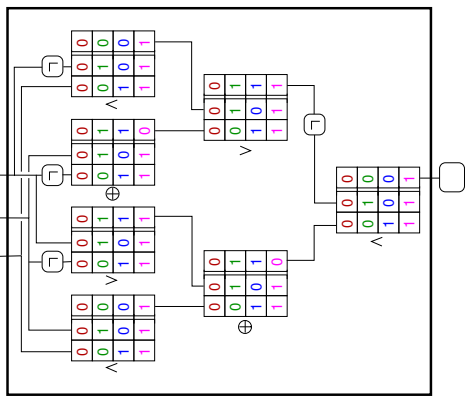
Vic

accept/reject

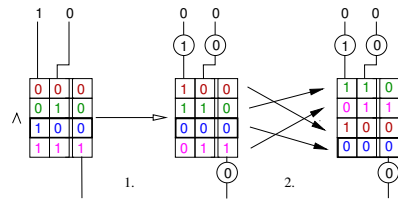
represent  $\Psi(s, \cdot)$  as binary circuit  $\rightarrow$  **Circuit-SAT**

Boolean Circuit for  $\Psi$

$$\Psi = ((p \wedge q) \oplus (\neg q \vee r)) \wedge \neg((\neg r \oplus q) \vee (p \wedge \neg r))$$



## How to Scramble the Truth Tables



1. XOR every wire with a random bit
2. Permute the rows randomly

Scrambled Boolean Circuit for  $\Psi$

